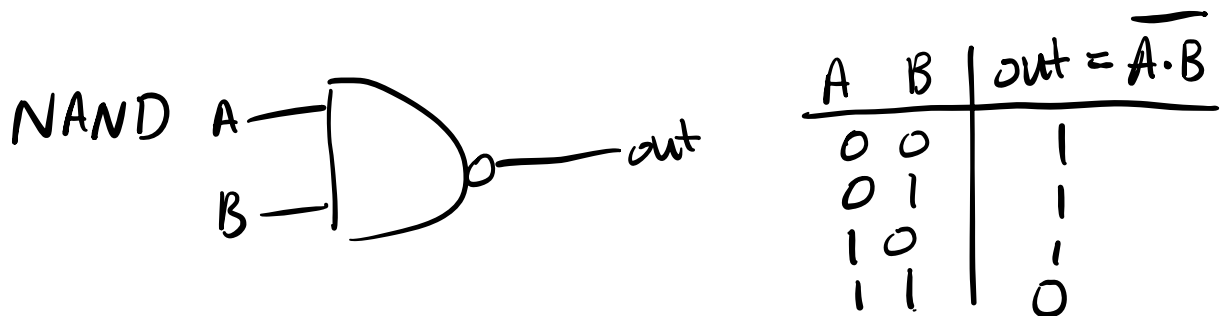
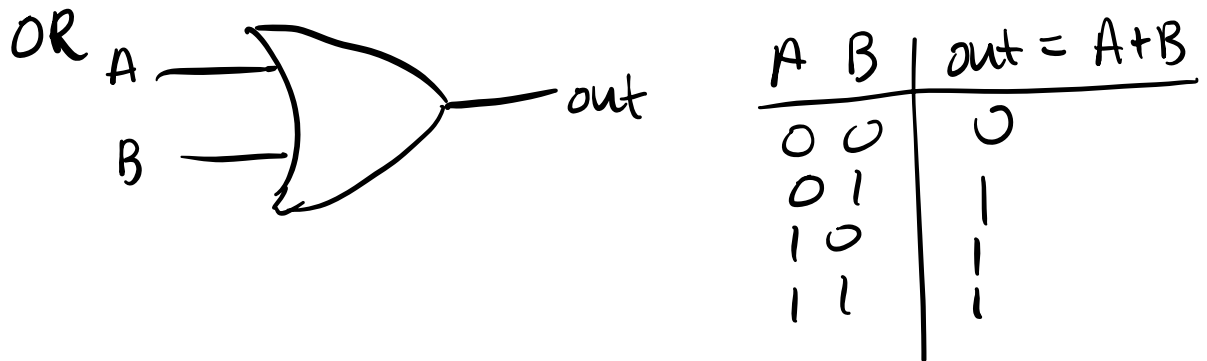
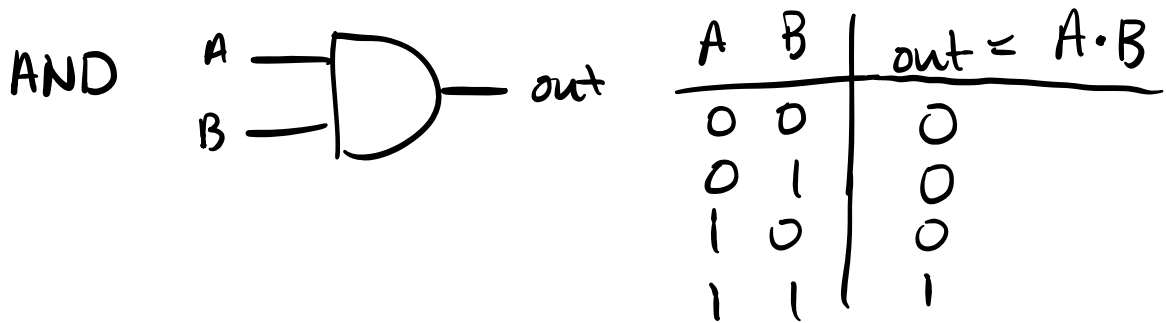
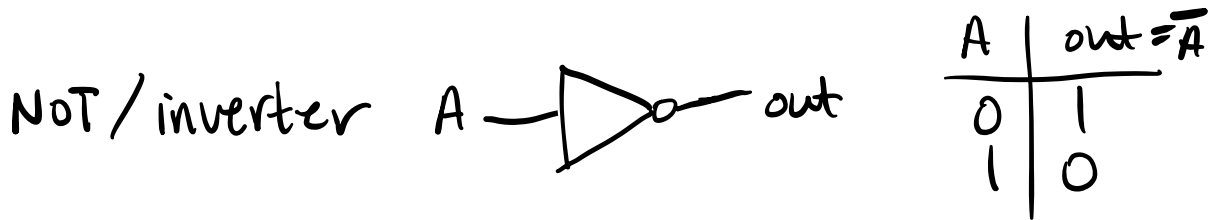


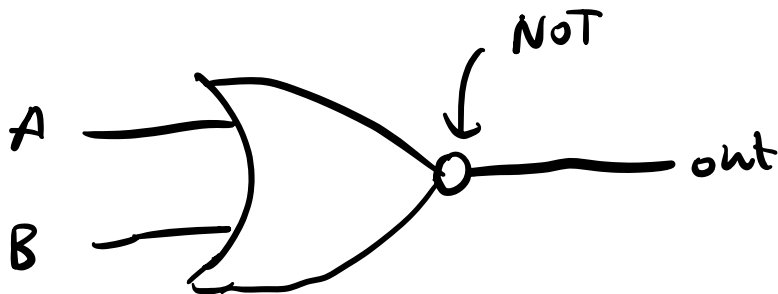
PHYS 231 - Nov. 8, 2023

Logic Gates:



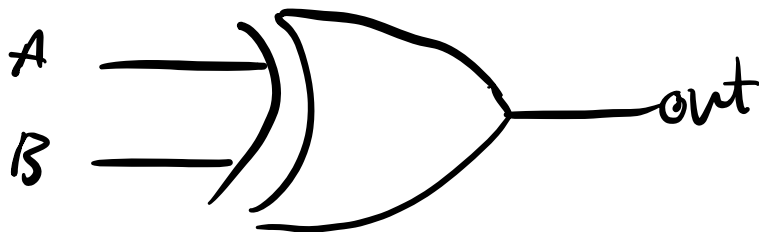
# Other Logic gates

## NOR (NOT OR)



A	B	out $= \overline{A+B}$
0	0	1
0	1	0
1	0	0
1	1	0

## XOR (Exclusive OR)

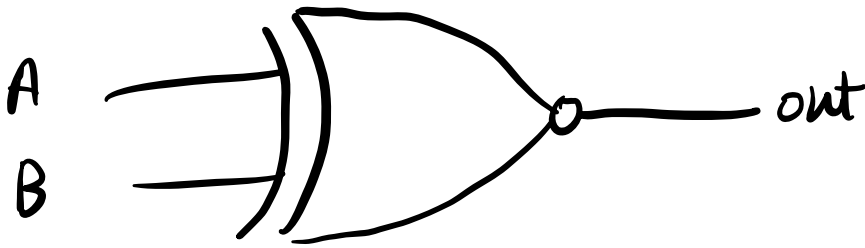


"exclusive or" operation

A	B	$A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

like the OR except for the last line in truth table

# XNOR (NOT Exclusive OR)



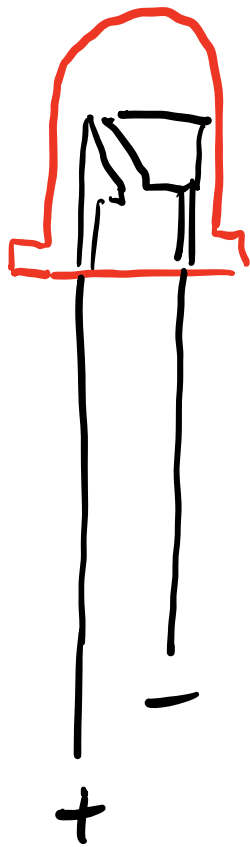
A	B	out = $\overline{A \oplus B}$
0	0	1
0	1	0
1	0	0
1	1	1

## Exp. #7 Digital Basics.

Part 1. Test one of the logic gates in the lab. (NOT or NAND).

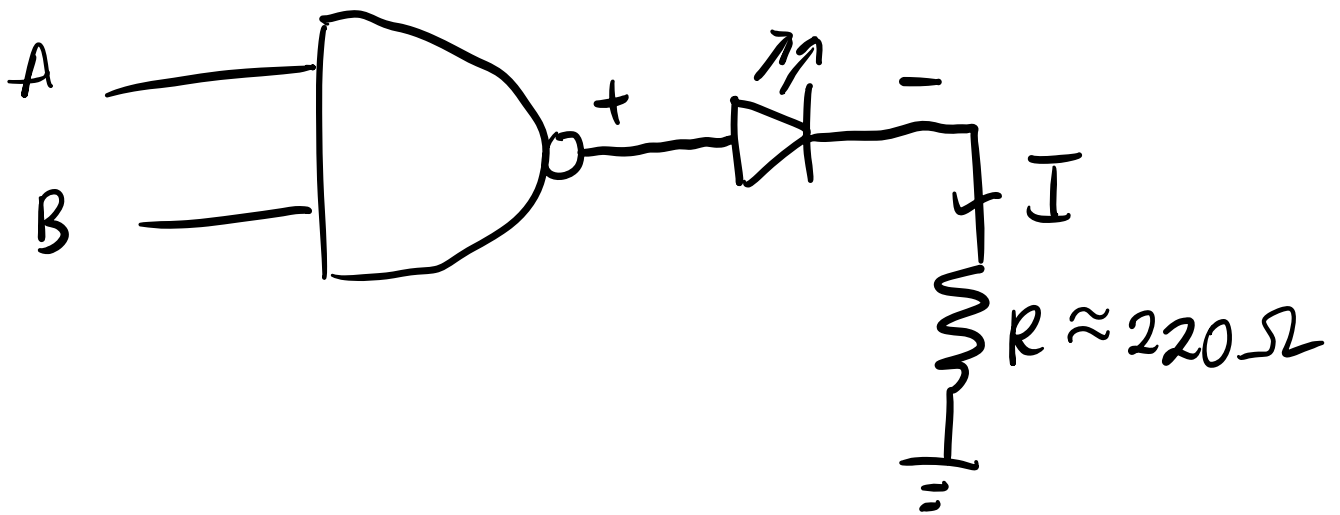
Logic gates require +5V & gnd to operate. Check data sheets on course website for pin diagrams.

Use light-emitting diode (LED) to monitor the output of your logic gate.



when pos. terminal of LED is higher in volt. than neg. terminal, LED lights up. ( $\Delta V \sim 2V$ )

To test a logic gate,



The  $220\ \Omega$  resistor limits the current  $I$ .

Connect  $A$  &  $B$  inputs to  $+5V$  or  $gnd$  to verify expected truth table.

Part 2: Design & build an OR gate using only NAND gates

(3 NANDs are required).

(Only one IC is needed)

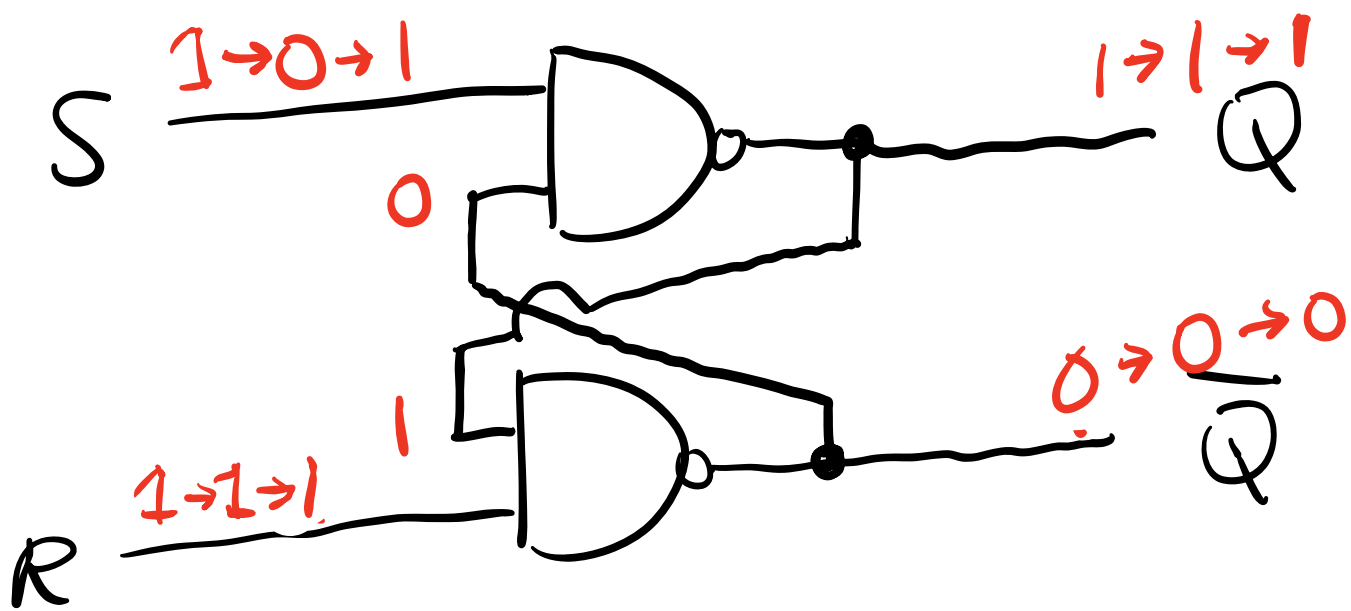
Test truth table using same method as in Part 1 (LED).

So far, all logic gate outputs depend on instantaneous states of inputs.

Design a device that has some memory capability.

Flip-Flop  $\Rightarrow$  R-S Flip Flop  
 reset  $\nearrow$   $\uparrow$  set.

The R-S Flip-Flop is a two-input device (R & S) with two outputs. The state of the outputs ( $Q$  &  $\bar{Q}$ ) tells the user which of R or S was the last to be LO. That is, the flip-flop "remembers" which of the inputs was last LO.



R-S Flip Flop.

NAND

A	B	out
0	0	1
0	1	1
1	0	1
1	1	0

Take  $(S, R) = (1, 1)$   
as the default inputs.

What are the possible outputs  $(Q, \bar{Q})$ ?

$$(Q, \bar{Q}) = (\cancel{0}, \cancel{0}), (0, 1), (1, 0), (\cancel{1}, \cancel{1})$$

not possible  
for  $(S, R) = (1, 1)$

When  $(S, R) = (1, 1)$ , output of  
flip flop has two possible stable states  
 $\Rightarrow$  bistable.

What happens if one of S or R momentarily drops to LO?

Case 1. Initially  $S=1$   $R=1$   $Q=0$   $\bar{Q}=1$

↓	↓	↓	↓
0	1	1	0
↓	↓	↓	↓
1	1	1	0

Case 2. Initially  $S=1$   $R=1$   $Q=1$   $\bar{Q}=0$

↓	↓	↓	↓
0	1	1	0
↓	↓	↓	↓
1	1	1	0

Momentarily allowing S to go LO  
 "sets" the output state to  
 $(Q, \bar{Q}) = (1, 0)$ .



# Exercise for student!

Show that, regardless of the initial state of  $(Q, \bar{Q})$ , allowing  $R$  to go LO temporarily "resets" the output to  $(Q, \bar{Q}) = (0, 1)$ .

## Exp. #7 Part 3

